

Arithmetic Monads			
<.	4.5	Floor	4
>.	4.5	Ceiling	5
*	$-4 \ 0 \ 3$	Sign	$-1 \ 0 \ 1$
!	4	Factorial	24
?	20	Random in $i.y$	7
?	0	Random in (0,1)	0.452

The diagram illustrates two execution models: Fork and Hook.

Fork: A function `f` (blue) calls a function `g` (black). `g` then calls a function `h` (blue). The output of `f` is omitted, and the output of `g` is labeled `result`.

Hook: A function `f` (blue) calls a function `g` (black). `g` then calls `f` again (blue). The output of `f` is omitted, and the output of `g` is labeled `result`.

Assignments	
(n) =. v	AssignInd: value of n gives name(s) to assign
'n1 n2' =. v1;v2	AssignMult: one level of boxing is removed
'`add sub' =. +`-	AssignAR

A is	abcd
	efgh
	ijkl
	mnop

Searches		
'people' i. 'pow'	IndexOf ¹	0 2 6
'people' i: 'pow'	IndexOfLast ¹	3 2 6
'pow' e. 'people'	ElementOf ¹	1 1 0
I. 0 1 1 0 1	IndicesOfOnes	1 2 4
0 2 4 I. 2 3 _1 9	FindInsertionPoint ¹²	1 2 0 3
(i. >./) 1 2 8 5	IndexOfLargest ³⁴	2
3 = i. 1:)	FindFirstTrue ⁴⁵⁶	1
3 ([: I. =)	IndicesWhereTrue ⁶⁷	1 2
m&i. e.&n m&i:	FastSearch (when used repeatedly)	

rank searched for is rank of items of other operand ²min index before which item can be inserted in order ³or $<$. ⁴or i : ⁵or 0 : ⁶any comp. or e ⁷or $+$ / $+$. / $*$. /

Operations on Ordered Sets

Operations on Ordered Sets				
'rare' - 'en'	RemoveItems			a
~ 'rare'	UniqueItems			rae
~: 'rare'	UniqueSieve	1	1	0 1
i.~'rare'	SelfClassify	0	1	0 3

Join and Reshape		
<code>ab</code> <code>cd</code>	Enfile	<code>abcd</code>
<code>'ab' , 'cd'</code>	Append	<code>abcd</code>
<code>0 1</code> <code>2 3</code> , <code>8 9</code>	Append (unequal ranks)	<code>0 1</code> <code>2 3</code> <code>8 9</code>
<code>0 1</code> <code>2 3</code> , <code>,8</code>	Append (short)	<code>0 1</code> <code>2 3</code> <code>8 0</code>
<code>0 1</code> <code>2 3</code> , <code>8</code>	Append (atom)	<code>0 1</code> <code>2 3</code> <code>8 8</code>

<code>., 'ab'</code>	EnfileItems	<table><tr><td>a</td><td>b</td></tr></table>	a	b										
a	b													
<code>'ab' ,. 'cd'</code>	AppendItems	<table><tr><td>a</td><td>b</td></tr><tr><td>c</td><td>d</td></tr></table>	a	b	c	d								
a	b													
c	d													
<code>\$,: 'ab'</code>	Itemize (adds leading axis)	<table><tr><td>1</td><td>2</td></tr></table>	1	2										
1	2													
<code>'ab' ,: 'cd'</code>	Laminate	<table><tr><td>a</td><td>b</td></tr><tr><td>c</td><td>d</td></tr></table>	a	b	c	d								
a	b													
c	d													
<code>3 \$ <table><tr><td>0</td><td>1</td></tr><tr><td>2</td><td>3</td></tr></table></code>	0	1	2	3	ReshapeItems	<table><tr><td>0</td><td>1</td></tr><tr><td>2</td><td>3</td></tr><tr><td>0</td><td>1</td></tr></table>	0	1	2	3	0	1		
0	1													
2	3													
0	1													
2	3													
0	1													
<code>3 (\$,) <table><tr><td>0</td><td>1</td></tr><tr><td>2</td><td>3</td></tr></table></code>	0	1	2	3	Reshape	<table><tr><td>0</td><td>1</td><td>2</td></tr></table>	0	1	2					
0	1													
2	3													
0	1	2												
<code>3 ; (4 ; 5)</code>	Link	<table><tr><td>3</td><td>4</td><td>5</td></tr></table>	3	4	5									
3	4	5												
<code>3 ,&< (4 ; 5)</code>	JoinBoxed	<table><tr><td>3</td><td>4</td><td>5</td></tr></table>	3	4	5									
3	4	5												
<code>; <table><tr><td>0</td><td>1</td></tr><tr><td>2</td><td>3</td></tr></table> ,4 6</code>	0	1	2	3	Raze (expand items of opened boxes to size of largest, then append)	<table><tr><td>0</td><td>1</td></tr><tr><td>2</td><td>3</td></tr><tr><td>4</td><td>0</td></tr><tr><td>6</td><td>6</td></tr></table>	0	1	2	3	4	0	6	6
0	1													
2	3													
0	1													
2	3													
4	0													
6	6													
<code>;;: '2 wds'</code>	JWords	<table><tr><td>2</td><td>wds</td></tr></table>	2	wds										
2	wds													
<code>;;: ^: 1 <table><tr><td>w1</td><td>w2</td></tr></table></code>	w1	w2	RazeWords	<table><tr><td>w1</td><td>w2</td></tr></table>	w1	w2								
w1	w2													
w1	w2													

Box Operations		B is	0	1	2	3	4	5	6	7	8
L.	B Level									2	
\$	L:0 B AtLevel				2	2	2	2	2		
{.	L:1 B AtLevel						0	1	6	8	
#	S:0 B Spread					2	2	2	2	1	
.	&.> B Each (fast)		4	5	2	3	0	1	7	6	8
1	{:: B Fetch									6	7
0 1	{:: B Fetch									2	3
0 2 0	{:: B FetchList								4	5	0 1

Selections		mnop
1 0 2 # 'abc'	Copy	acc
1j1 0 2 # 'abc'	CopyFill	a cc
1j1 0 2 #!.'*' 'abc'	CopyCustom	a*cc
1 0 1&#^:_1 'ab'	Expand	a b
1 0 1&#^:_1!.'*' 'ab'	ExpandCustom	a*b
Monads		mnop
i. & i:		efgh
i. 3		bd
0 1 2	1 3 {"1 A	fh
		j1
		np
i. _3		
2 1 0	2 1 { A	j
i. 2 3		
0 1 2		
3 4 5	1 3 { A	efgh
		mnop
i: 2		
_2 _1 0 1 2		
	1 2 { A	efh
	1 3 1 0 2 { A	feg
		nmo
		ca
		ge
		ki
		om
1 1		
3 2(<"10[{])	A FromUnboxed	fo
	(Fast form)	

Whole-Array Operations			
	. 'abcde'	Reverse	edcba
2	. 'abcde'	RotateLeft	cdeab
_2	. 'abcde'	RotateRight	deabc
-2	.!.*' 'abcde'	ShiftLeft	cde**
	.!.*' 'abcde'	ShiftRightOne	*abcd
	abcd		hefg
	efgh		lijk
1 _1	. ijkl	Rotate (multiaxis)	pmno
	mnop		dabc
	abcd		aeim
	efgh		bfjn
	. ijkl	Transpose (reverse axes)	cgko
	mnop		dhlp
	x : y	ReorderAxes (moves axes x to end of axes)	
'c0 c1 c2' =.	: y	AssignIndividualColumns	
	/: 3 1 4 1	GradeUp*	1 3 0 2
	/:~ 3 1 4 1	SortUp*	1 1 3 4
'abcd'	/: 3 1 4 1	SortUpUsing*	bdac
	/:@/: 3 1 4 1	Ordinals*	2 0 3 1
	abcd		abcd
'*' (<1 2)	efgh	Amend	ef*h
	ijkl		ijkl
	mnop		mnop
	ab		ab
	ef		ef
'*+' [' (#@[)`] }	ij	Amend (gerund form)	*+
	mn		mn
y =. x m} y		AmendInPlace (fast form)	

*use \ : for descending order

Partitions			
\backslash	i. 3	Prefixes	0 0 1 0 1 2
2 \backslash	i. 4	Infixes	0 1 1 2 2 3
_2 \backslash	i. 5	Infixes, no overlap	0 1 2 3 , 4
$\backslash.$	i. 3	Suffixes	0 1 2 1 2 , 2
3 $\backslash.$	i. 5	Outfixes	3 4 0 4 0 1
_3 $\backslash.$	i. 5	Outfixes, no overlap	3 4 0 1 2
3 4 2 2	u ; .3	u applied to SubArrays ¹ (all shaded)	abcde fgh ijklm nop qrstuvw xyz012345 6789 ABCD
3 4 2 2	u ; . _3	u applied to FullSubArrays ¹ (shaded+border)	EFGHIJKL MNOPQRST
1 _2 3 _2	u ; . 0	u applied to SubArray ² (shaded)	abcdef ghijkl mnopqr stuvw x
$<$; .1 'people'		CutOnHead ³	peo ple
$<$; .2 'people'		CutOnTail ³	pe o ple
0 1 0 1 $<$; .1 i. 4		CutStartAtOne ³	1 2 , 3
0 1 0 1 $<$; .2 i. 4		CutEndAtOne ³	0 1 2 3
'people' $</$. i. 6		Key	0 3 1 5 , 2 , 4

The operations ($<$ or u) shown in the examples can be replaced by any verb, or with a gerund m in which case the components of m are applied cyclically, one per partition.

¹ x is **boundary**, :shape. Subarrays start at all possible combinations of multiples of the atoms of **boundary**, and have the shape |shape.

A negative component of **shape** reverses that axis in each subarray.

² x is **corner**, :shape. The subarray starts at **corner** and has shape |shape. A negative component of **corner** causes the subarray to extend backward in that component; a negative component of **shape** reverses that axis in the subarray.

³; . _1 omits the first, and ; . _2 the last, item in each partition.

Complex Numbers			
2x1	ExpNum	2*e^1	
1p2	CircNum	1* π ^2	
+ 3j4	Conjugate	3j_4	
+ . 3j4	Reallmag	3 4	
*. 3j4	LenAngle	5 0.927	
3j4	Magnitude	5	
j. 1j2	TimesJ	_2j1	
3 j. 4	Complex	3j4	
r. 1r3p1	Cis (^j. y)	0.5j0.87	
2 r. 1p1	TimesCis	_2j0	

Adverbs and Conjunctions			
$u \sim y$	Reflexive	$y u y$	
$x u \sim y$	Passive	$y u x$	
$x u^{\wedge} : n y$	Power	execute $x \& u$ for n times; if $n < 0$, execute inverse of $x \& u$ for $-n$ times; if $n = 0$, result is y	
$x u^{\wedge} : v y$	Power	where n is given by $x v y$	
$x u^{\wedge} : v y$	If	y if $x v y$ is false(0), $x u y$ if $x v y$ is true(1)	
$u^{\wedge} : _$	Converge	repeat u until result is constant	
$x u^{\wedge} : v^{\wedge} : _ y$	DoWhile	repeat u while $x v y$ is 1	
$u^{\wedge} : a :$	ConvergeHistory	repeat u until result is constant, return all intermediate values	
$\{ \sim^{\wedge} : a : \& 0$	ChaseChain	follow chain of record positions	
$u : : v$	Inverse	like u , but inverse is v	
$u : : v$	Adverse	u , but execute v if error during u	
$x u @ v y$	Atop	$x u @ : v^{\wedge} v y$	
$x u @ : v y$	At	$u x v y y$	
1 2 +/@* 3 4	Atop	3 8 NB. (+/ 1*3) , (+/ 2*4)	
1 2 +/@: * 3 4	At	11 NB. +/ 1 2 * 3 4	
$x u \& : v y$	Append	($v x$) $u v y$	
$x u \& v y$	Compose*	$x u \& : v^{\wedge} mv y$	
$x u \& . : v y$	Dual	$v^{\wedge} : _1 (v x) u v y$	
$x u \& . v y$	Dual*	$x u \& . : v^{\wedge} mv y$	
$> : \& . > 1 2 3$		2 3 4	
$> : \& . : > 1 2 3$		2 3 4	
$m \& v y$ or $u \& n y$	MonadFromDyad	$m v y$ or $y u n$	
$x m \& v y$		same as ($m \& v$) ^: $x y$ ($x u \& n y$ similarly)	

*mv is monadic rank of v

Control Structures	
if. T do. B0 else. B1 end.	
if. T do. B0 elseif. T1 do. B1 elseif. T2 do. B2 end. ¹	
while. T do. B end. ¹ whilst. T do. B end. ¹ (skips T first time)	
for. T do. B end. (loop #T times) for_xyz. T do. B end. ²	
break. (jump out of loop) continue. (go to end of loop)	
select. T fcase. T0 do. B0 fcase T1 do. B1 end. ¹ (fcase falls through)	
try. B0 catch. B1 catcht. B2 end. (execute B1 if error in B0) ³	
return result return.	

¹omitted T is true ²sets xyz and xyz_index for each loop

³catcht. catches throw. from a called function

Insert		Gerunds	
$u/$	y	Insert u between items of y	
$u/$	1 3 5	Insert	1 u 3 u 5
$+/$	1 3 5	Sum	9
$+/\backslash$	1 3 5	RunningSum	1 4 9
$+/\backslash.$	1 3 5	RevRunningSum	9 8 5
$m/$	y	Insert verbs from gerund m	

Shape and Rank		Trigonometry and Calculus	
$\$$	i. 2 3	ShapeOf	2 3
$\#$	i. 2 3	TallyOf	2
$\# @ \$$	i. 2 3	RankOf	2
$+/$	0 1 2 3		2 4
$+/"1$	0 1 2 3		1 5
$+/"0$	0 1 2 3		0 1 2 3
1 2 $+/"0$	0 1 2 3 4 5		1 2 3 5 6 7
1 2 3 $+/"1$	0 1 2 3 4 5		1 3 5 4 6 8
1 2 3 $+/"0$	0 1 2 3 4 5	length error	
$x u/ y$ applies u between each cell of x and all of y			

1 o. 1r3p1	Sin	0.866
2 o. 1r3p1	Cos	0.5
3 o. 1r3p1	Tan	1.732
other o. y	Trig Functions	
o. 1	PiTimes	3.1416
p. 6 5 1	Roots	1 3 2
p. 1 3 2	Coeffs	6 5 1
6 5 1 p. 2	EvalPoly	20
1 3 2 p. 2	EvalPoly	20
p.. 6 5 1	PolyDeriv	5 2
6 p.. 5 2	PolyIntegral	6 5 1
*: d. 1	Derivative	+:
*: D. 1	PartialDeriv	
*: +: D. 1	AssignDeriv	
1e_8 u D: n y	SecantSlope of nth derivative	
^ t. 1 2 3	TaylorCoeff	1 0.5 0.167
u^v t. n	AssignTaylor	
^ t: 1 2 3	ExpTaylor	1 1 1
^ T. 3	TaylorApprox	1 1 0.5&p.
m H. n	HypergeometricSeries	

Constants		
TAB	tab	9{a.
LF	line feed	10{a.
FF	form feed	12{a.
CR	carriage return	13{a.
CRLF	CR LF pair	
DEL	delete (delimiter)	127{a.

Matrix Operations	
%.	y MatrixInverse
x %.	y MatrixDivide
$x +/ . * y$	MatrixMultiply
$-/ . * y$	Determinant
$+/ . * y$	Permanent

Mathematics			
A. 2 0 1	AnagramIndex	4	
4 A. 'abc'	Anagram	cab	
C. 2 1 0	PermForm	1 2 0	
1 2 0 C. 'abc'	Permute	cba	
C.! 2 =/~ 0 1	PermParity	_1 1	
p: 3	YthPrime	7	
x p: y	PrimeInfo	various	
q: 56	PrimeFactors	2 2 2 7	
_ q: 56	PrimeExps	3 0 0 1	
_ q: 56	PrimeFacExp	2 7	
		3 1	
x: 1%3	Exact	1r3	
x: ^: _1 (1r3)	Inexact	0.3333	
2 x: 1r2	NumDenom	1 2	

Selected Foreigns & Miscellaneous	
" . '2 + 3'	Execute sentence 5
u b. y	Info on u : $y = _1$ inverse; 0 ranks; 1 identity function
u M.	Memoize: u , but saving results for possible reuse
3!:0 y	Datatype of y
3!:1 y	Binary representation of y as coded character string
3!:3 y	Binary representation of y as displayable hex array
x 3!:4 inty	Numeric/bytestring conversion. $x > 0$: convert list y to char list, 2^x (int) or $2^x > : x$ (float) chars/number.
x 3!:5 floaty	$x < 0$: convert char list y to numeric list, $2^x - x$ (int) or $2^x > : -x$ (float) chars/number. $x = 0$: 2-byte short to unsigned int
4!:0 <'name'	Class of name, _1 if undefined
5!:5 <'name'	String which, if interpreted, creates the value of name
6!:0 ''	Current time Y M D H M S
x 6!:2 'sentence'	Average execution time of sentence over x samples
7!:2 'sentence'	Space to execute sentence
$\$$. Sparse matrix	$\$$: Recursion s: Symbol u: Unicode a. Alphabet